

## BASIC LANGUAGE PROGRAM TO EVALUATE NON-ISOTHERMAL KINETIC PARAMETERS FROM THERMOANALYTICAL DATA

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(Received 10 February 1986)

### ABSTRACT

An improved program for automatic processing of thermoanalytical data to obtain non-isothermal kinetic parameters using the Coats–Redfern method is presented.

### INTRODUCTION

According to the integral method of Coats and Redfern [1], the equation used to determine non-isothermal kinetic parameters is:

$$\log \frac{F(\alpha)}{T^2} = \log \frac{AR}{aE} - \frac{E}{4.575} \frac{1}{T} \quad (1)$$

where:  $\alpha$  stands for the conversion degree,  $T$  for the temperature (K),  $F(\alpha)$  for the conversion integral,  $a$  for the heating rate,  $R$  for the gas constant,  $A$  for the pre-exponential factor, and  $E$  for the activation energy.

It has been shown that eqn. (1) leads to correct results only for  $2RT/E < 1$  [1], a condition which is generally fulfilled. For the “reaction order” model the conversion integral takes the form:

$$F(\alpha) = \frac{1 - (1 - \alpha)^{1-n}}{1 - n} \quad \text{for } n \neq 1 \quad (2)$$
$$F(\alpha) = -\ln(1 - \alpha) \quad \text{for } n = 1$$

where  $n$  stands for the reaction order.

The difficulties connected with the linearisation of eqn. (1) for the correct value of  $n$  have been by-passed by using a computer program for automatically processing the experimental data [2–4].

This paper is dedicated to a program written in BASIC, actually dealing with an improved variant of a primary form of the program given in ref. 5, where one calculates the kinetic parameters for all reaction orders between 0 and 2. This program allows the value of the “reaction order” to be selected which corresponds to the most accurate linearisation [ $\log[F(\alpha)/T^2]$ ,  $1/T$ ] as well as the intercept and the slope of the corresponding straight line and, thus, the pre-exponential factor and activation energy.

## INPUT DATA

- $N$  number of experimental points  
 $W_i$  weight loss of the sample at temperature  $T_i$   
 $T_i$  temperature (K)  
 $Z$  total weight loss of the sample  
 $U$  heating rate

The value of  $N$  was taken as 20. In the vector  $Y(i)$  the values of  $\log[F(\alpha_i)/T_i^2]$ , with  $\alpha_i = W_i/Z$ , indexed for a given reaction order  $n$ , are calculated, and in the vector  $X(i)$  the values  $T_i^{-1}$  are introduced. The correlation index of the linear representation will be denoted by  $V$ . In A, B, C, D, E the necessary elements for the least squares method are calculated. In P and Q the slope and the intercept of the straight line are calculated. In K and M the standard deviations for  $X(i)$  and  $Y(i)$  are calculated and  $V$  finds the correlation index of the linear representation. The values of the activation energy ( $\text{kcal mol}^{-1}$ ) and pre-exponential factor ( $\text{s}^{-1}$ ) are calculated with the following formulae:

$$E = -4.575P \quad (3)$$

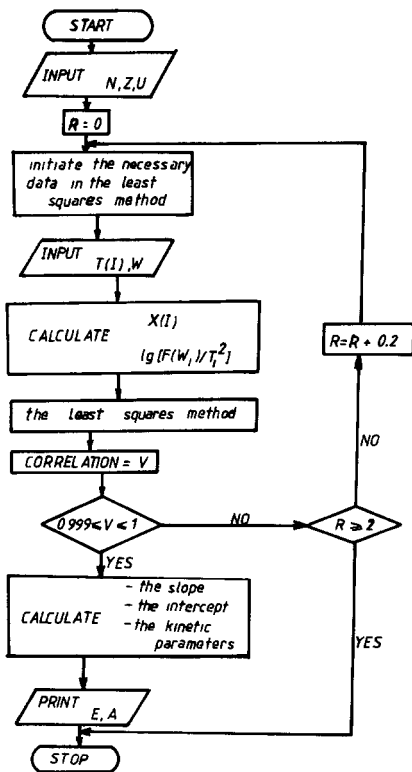


Fig. 1. Flow diagram of computer program.

$$A = 10^Q U \frac{E}{60R} \quad (4)$$

( $R = 1.986 \text{ cal mol}^{-1} \text{ K}^{-1}$ ).

If the condition:

$$|V| \in (0.999 - 1) \quad (5)$$

is not fulfilled for  $0 \leq n \leq 2$ , the input data should be re-analysed or the initial and final values of the step for the reaction order should be changed. If condition (5) is fulfilled, the values of  $E$  and  $A$  are calculated and displayed. In Fig. 1 and the Appendix, the logical diagram and the instructions of the program are given, respectively.

The program is called up by the instruction: RUN (label of the program beginning).

The program was checked with a programmable minicalculator (Sharp PC-1251) to determine the non-isothermal kinetic parameters of the decomposition of some polynuclear coordination compounds [6].

#### APPENDIX: COMPUTER PROGRAM

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1 DIM T(20),W(20),Y(20),X(20)
2 INPUT "OBS NUMBER",N
3 FOR I=1 TO N:PRINT "I=",I
4 INPUT "T?",T(I)
5 INPUT "W?",W(I)
6 NEXT I
7 PRINT "REACTION ORDER"
8 INPUT "W MAXIM=?",Z
9 INPUT "HEATING RATE=?",U
10 INPUT "OBS NUMBER=?",N
11 WAIT 48
12 PAUSE "ENTER",N,"PAIRS"
13 R=0
14 A=0,B=0,C=0,D=0,E=0
15 FOR I=1 TO N
16 WAIT
17 X(I)=(T(I)+273)A-1
18 IF (R=0) THEN GO TO 23
19 IF (R=1) THEN GO TO 25
20 H=(1-(W(I)/Z)A*(1-R))/(1-R*(T(I)+273)A)
21 Y(I)=LOG(H)
22 GO TO 26
23 Y(I)=LOG(-(W(I)-Z)/Z)/(T(I)+273)A)
24 GO TO 26
25 S=LN(W(I)/Z) Y(I)=LOG(-S*(X(I)A))
26 WAIT
27 A=A+X(I)
28 B=B+X(I)A
29 C=C+Y(I)
30 D=D+Y(I)A

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31 E = E + (X(I)*Y(I))
32 WAIT 128
33 NEXT I
34 WAIT
35 F = A / N
36 G = C / N
37 J = B - ((A ^ 2) / N)
38 K = SQR(J / (N - 1))
39 L = D - ((C ^ 2) / N)
40 M = SQR(L / (N - 1))
41 O = E - (A * C / N)
42 V = O / SQR(J * L) PRINT "CORRELATION=", V
43 PRINT "REACTION ORDER=", R
44 IF ((ABS(V) >= .999) AND (ABS(V) <= 1)) THEN GO TO 46
45 GO TO 59
46 P = D / J
47 Q = G - (P * F)
48 WAIT 128
49 PRINT "EQUATION IS:"
50 WAIT
51 PRINT " Y=" , Q , "+" , P , " X"
52 E = 4.575 * P
53 PRINT "ENERGY=", E
54 WAIT
55 A = (10 * Q) * U * E / 120
56 PRINT "FACTOR=", A
57 WAIT
58 IF (R = 2) THEN GO TO 61
59 R = R + 0.2
60 GO TO 14
61 PRINT = PRINT , WAIT BEEP 3
62 END

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## REFERENCES

- 1 A.W. Coats and J.P. Redfern, *Nature (London)*, 201 (1964) 68.
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